$\qquad$ Date:

## 11-7 Areas and Volumes of Similar Solids - Pi-Day Color Match Activity SE



Directions: Answer the questions. Find your answer on the Pizza Pie. Then color according to your answers.

1. If the corresponding linear dimensions of two solids are proportional, the two solids are
$\qquad$ . (YELLOW)
2. For two solids to be similar, all of their corresponding linear dimensions must have the same
$\qquad$ factor. (PINK)
3. The scale factor for the figures shown below is $\qquad$ . (LIGHT GREEN)

4. If the two solids have a similarity ratio $a: b$, then the ratio of their areas is mathematically as
$\qquad$ . (ORANGE)
5. The two solids shown have a similarity ratio of $2: 3$. The surface area of the smaller solid is $120 \mathrm{~cm}^{2}$. The area of the larger solid is $\qquad$ $\mathrm{cm}^{2}$. (BLUE)

6. The similarity ratio for the figures given below is $\qquad$ (RED)

7. The similarity ratio for the figures given below is $\qquad$ . (BROWN)

8. Two similar figures have areas $81 \mathrm{~m}^{2}$ and $64 \mathrm{~m}^{2}$. The similarity ratio is $\qquad$ (GREEN)
9. The surface areas of two similar solids are $144 \mathrm{~cm}^{2}$ and $196 \mathrm{~cm}^{2}$. The volume of the larger solid is $320 \mathrm{~cm}^{3}$. The volume of the smaller solid is $\qquad$ $\mathrm{cm}^{3}$. (GREY)
10. If the similarity ratio of the two similar figures is doubled, the ratio of their volumes is increased by
$\qquad$ times. (PURPLE)
