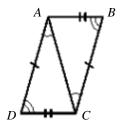
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UNIT 4 – Congruent Triangles TEST

Multiple Choice

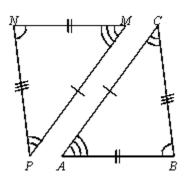
Identify the choice that best completes the statement or answers the question.

- 1. If *BCDE* is congruent to *OPQR*, then \overline{DE} is congruent to _?____. a. \overline{PO} b. \overline{OR} c. \overline{OP} c. \overline{OP} d. \overline{QR} a. <u>PO</u>
- 2. Use the information given in the diagram. Tell why $\overline{AC} \cong \overline{AC}$ and $\angle BCA \cong \angle DAC$.



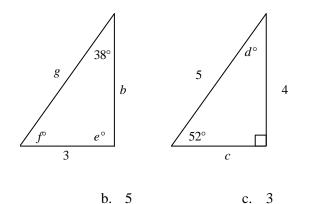
- a. Reflexive Property, Given
- b. Transitive Property, Reflexive Property
- c. Given, Reflexive Property
- d. Reflexive Property, Transitive Property

3. ∠*ABC* ≅ ?



b. ∠NPM a. ∠PMN c. ∠NMP d. ∠MNP

4. The two triangles are congruent as suggested by their appearance. Find the value of c. The diagrams are not to scale.



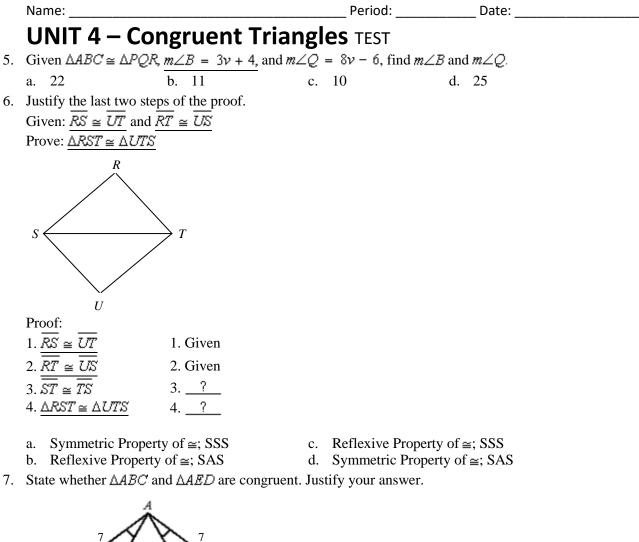
d. 38

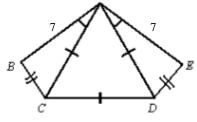




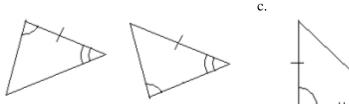
a. 4

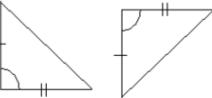






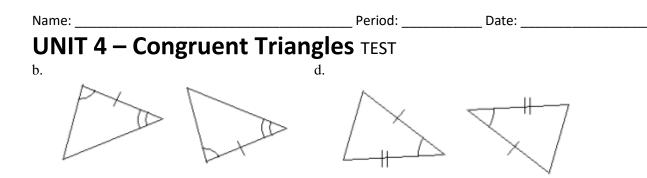
- a. yes, by either SSS or SAS
- b. yes, by SSS only
- c. yes, by SAS only
- d. No; there is not enough information to conclude that the triangles are congruent.
- 8. In each pair of triangles, parts are congruent as marked. Which pair of triangles is congruent by ASA?
 - a.



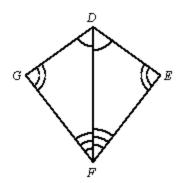






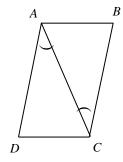


9. From the information in the diagram, can you prove $\triangle FDG \cong \triangle FDB$? Explain.



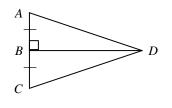
a.	yes, by ASA	c.	yes, by SAS
b.	yes, by AAA	d.	no

10. What else must you know to prove the triangles congruent by ASA? By SAS?



a.	$\angle ACD \cong \angle CAB; \overline{AB} \cong \overline{CD}$	$c. \angle ADC \cong \angle CAB; \ \overline{AD} \cong \overline{BC}$
b.	$\angle ACD \cong \angle CAB; \overline{AD} \cong \overline{BC}$	d. $\angle ACD \cong \angle CAB; \overline{AD} \cong \overline{AC}$

11. Name the theorem or postulate that lets you immediately conclude $\triangle ABD \cong \triangle CBD$.



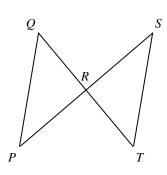


b. ASA

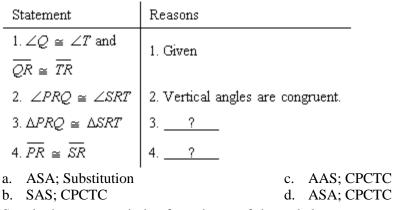


UNIT 4 – Congruent Triangles TEST

12. Supply the missing reasons to complete the proof. **Given:** $\angle Q \cong \angle T$ and $\overline{QR} \cong \overline{TR}$ **Prove:** $\overline{PR} \cong \overline{SR}$

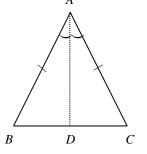


Name: _



13. Supply the reasons missing from the proof shown below. Given: $\overline{AB} \cong \overline{AC}, \angle BAD \cong \angle CAD$

Prove: \overline{AD} bisects \overline{BC} A



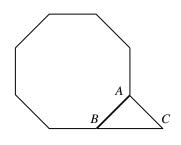


Period: _____ Date:



Statements	Reasons
1. $\overline{AB} \cong \overline{AC}$	1. Given
2. $\angle BAD \cong \angle CAD$	2. Given
3. $\overline{AD} \cong \overline{AD}$	3. Reflexive Property
$4. \Delta BAD \cong \Delta CAD$	4?
5. $\overline{BD} \cong \overline{CD}$	5
6. \overline{AD} bisects \overline{BC}	6. Def. of segment bisector
a. ASA; CPCTCb. SAS; Reflexive Pro	c. SSS; Reflexive Property d. SAS; CPCTC

14. The octagon in the figure is equiangular and $\overline{AB} \cong \overline{AC}$. Find $m \angle ACB$.

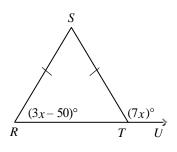


d. 90 a. 135 b. 45 c. 30

15. In an A-frame house, the two congruent sides extend from the ground to form a 34° angle at the peak. What angle does each side form with the ground?

a. 156 b. 146 c. 73 d. 78

- 16. What is the measure of the vertex angle of an isosceles triangle if one of its base angles measures 42° ? a. 69° b. 84° c. 138° d. 96°
- 17. Find the value of *x*. The diagram is not to scale.



d. none of these a. x = 23b. x = 40c. x = 1318. Two sides of an equilateral triangle have lengths 2x - 2 and 3x - 6. Which of 10 - x or 6x + 5 could be the length of the third side?

a. neither 10 - x nor 6x + 5b. 10 - x only

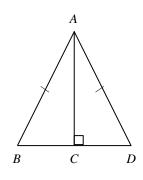
c. both 10 - x and 6x + 5d. 6x + 5 only



Period: _____ Date:

UNIT 4 – Congruent Triangles TEST

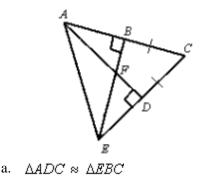
19. Is there enough information to conclude that the two triangles are congruent? If so, what is a correct congruence statement?



- Yes; $\triangle CAB \cong \triangle DAC$. a.
- b. Yes; $\triangle ACB \cong \triangle ADC$.
- c. Yes; $\triangle ABC \cong \triangle ACD$.

a. HL, AAS, ASA, and SAS

- d. No, the triangles cannot be proven congruent.
- 20. *CB* is perpendicular to *AD* at *B* between *A* and *D*. $\angle DAC \cong \angle ADC$. By which of the five congruence statements, HL, AAS, ASA, SAS, and SSS, can you conclude that $\triangle ABC \cong \triangle DBC$?
 - c. HL and ASA
 - b. HL, AAS, and ASA d. HL, AAS, ASA, SAS, and SSS
- 21. Which overlapping triangles are congruent by AAS?



c. $\triangle ABE \cong \triangle DEA$ d. $\triangle ADC \cong \triangle EDA$

- b. $\triangle ABE \cong \triangle CDA$ 22. The sides of an isosceles triangle have lengths 2x + 4, x + 8. The base has length 5x - 2. What is the length
 - of the base? a. 18 c. 12
 - b. 4 d. cannot be determined

Short Answer

23. For the two quadrilaterals below, $\angle I \cong \angle M$, $\angle IJK \cong \angle MJK$, $\angle LKJ \cong \angle NKJ$, and $\angle L \cong \angle N$. Complete this congruence statement for the two quadrilaterals.

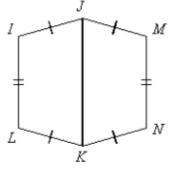
 $LKJI \cong ?$



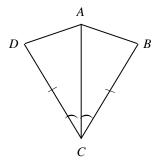


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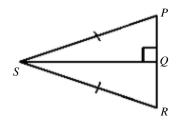
UNIT 4 – Congruent Triangles TEST



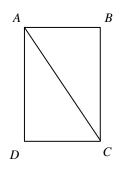
- 24. Based on the given information, can you conclude that $\Delta QRS \simeq \Delta TUV$? Explain. **Given:** $\overline{QR} \cong \overline{TU}, \overline{QS} \cong \overline{TV}$, and $\angle R \cong \angle U$
- 25. Explain how you can use SSS, SAS, ASA, or AAS with CPCTC to prove that $\angle D \cong \angle B$.



26. Is $\triangle PQS \cong \triangle RQS$ by HL? If so, name the legs that allow the use of HL.



27. Separate and redraw $\triangle ABC$ and $\triangle CDA$. Identify any common angles or sides.

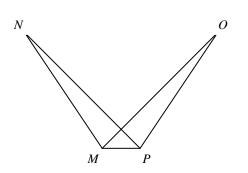


28. Name a pair of triangles in the figure and state whether they are congruent by SSS, SAS, ASA, AAS, or HL.

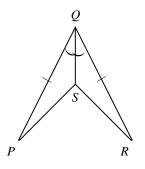
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UNIT 4 – Congruent Triangles TEST

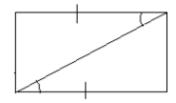
Given: $\overline{NP} \cong \overline{OM}, \overline{MN} \cong \overline{PO}$



29. Is there enough information to prove the two triangles congruent? If yes, write the congruence statement and name the postulate you would use. If no, write not possible and tell what other information you would need.

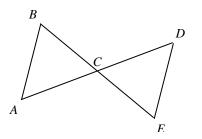


30. Can you conclude the triangles are congruent? Justify your answer.



Essay

31. Write a paragraph proof to show that $\triangle ABC \cong \triangle DEC$. **Given:** $\overline{AC} \cong \overline{DC}$ and $\overline{BC} \cong \overline{CE}$





_____ Period: ______ Date: _____

UNIT 4 – Congruent Triangles TEST

Answer Section

MULTIPLE CHOICE

1.	ANS:	D
2.	ANS:	A
3.	ANS:	D
4.	ANS:	С
5.	ANS:	C
6.	ANS:	C
7.	ANS:	Α
8.	ANS:	В
9.	ANS:	Α
10.	ANS:	В
11.	ANS:	Α
12.	ANS:	D
13.	ANS:	D
14.	ANS:	
15.	ANS:	С
16.	ANS:	D
18.	ANS:	В
19.	ANS:	В
20.	ANS:	Α
21.	ANS:	Α
22.	ANS:	Α

SHORT ANSWER

23. ANS: NKJM

24. ANS:

Answers may vary. Sample: Two pairs of sides are congruent, but the angle is not included. There is no SSA Congruence Theorem, so you cannot conclude $\Delta QRS \simeq \Delta TUV$ with the information given.

25. ANS:

Answers may vary. Sample: Because the two triangles share the side \overline{AC} , they are congruent by SAS. Then $\angle D \cong \angle B$ by CPCTC.

26. ANS:

Yes, \overline{QS} (in each triangle)

27. ANS:

	Name:	_Period:	_ Date:
	UNIT 4 – Congruent Triangles	S TEST	
	$A \qquad A \qquad B \\ D \qquad C \qquad C \qquad C$		
28.	$\frac{\text{ANS:}}{\Delta M NP} \cong \Delta P O M \text{ by SSS}$		
29.	ANS: Yes; $\Delta PQS \cong \Delta RQS$ by SAS.		
30.	ANS: Yes, the diagonal segment is congruent to itself, so the	e triangles are congrue	nt by SAS.
<mark>ESSAY</mark>			
31.	ANS:[4]Answers may vary. Sample: You are given that angles <i>BCA</i> and <i>ECD</i> are congruent, so $\triangle ABC$	$\frac{AC}{AC} \cong \frac{DC}{DC} \text{ and } \frac{BC}{BC} \cong \Delta DEC \text{ by SAS.}$	$\cong \overline{CE}$. Vertical
	 [3] correct idea, some details inaccurate [2] correct idea, not well organized [1] correct idea, one or more significant steps omitted 	ted	



